



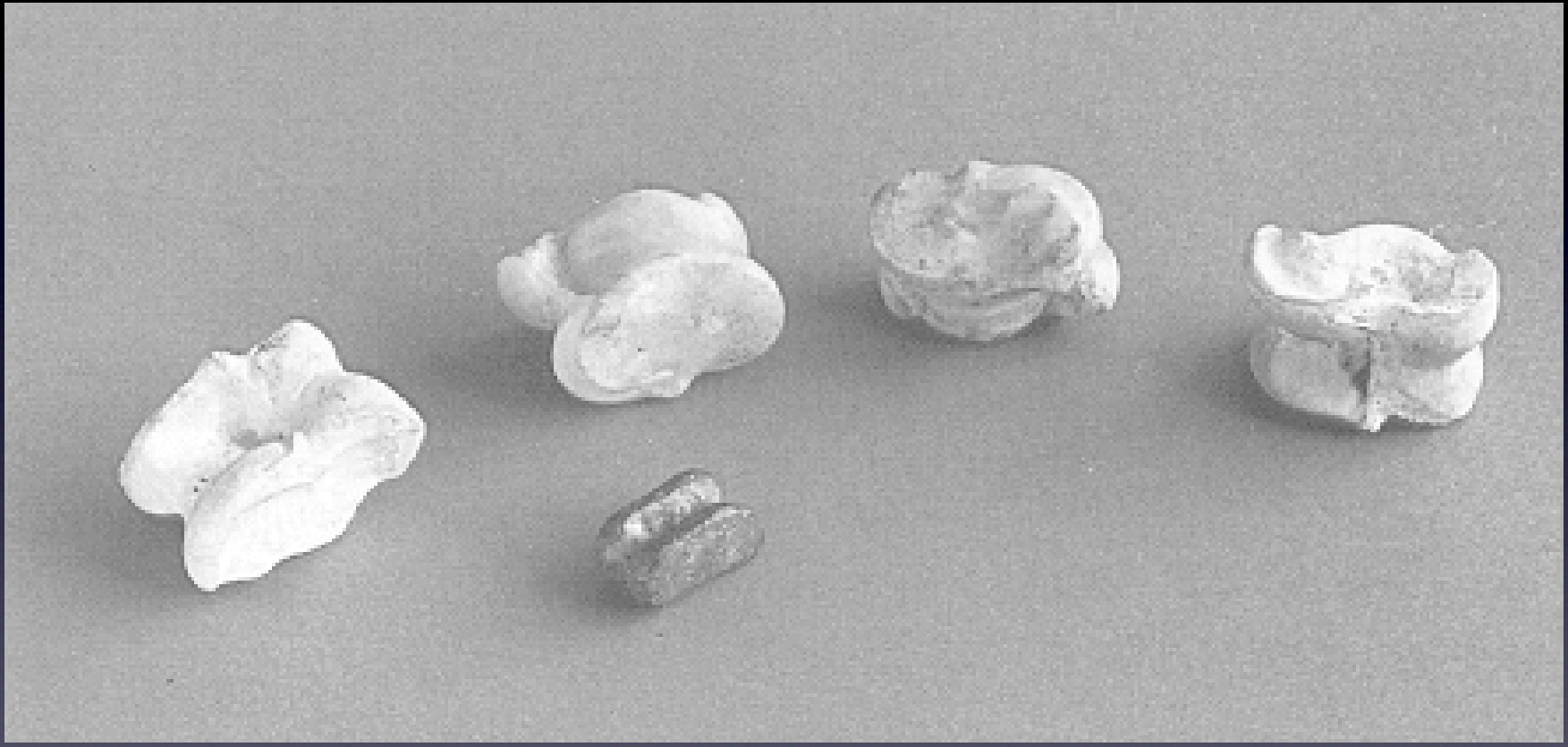
Dice

1/25/08

The Kind of Studies We Can't Do Anymore

- Negative operant conditioning with a random reward system
- Addictive behavior under a random reward system





Tali's Weird Scoring System

(1,3,4,6) : *Venus* -- all different sides. (4,3,3,1) : Total = 11
(6,6,6,4) : Total = 22 (4,4,1,1) : Total = 10 (high)
(6,6,6,3) : Total = 21 (3,3,3,1) : Total = 10
(6,6,4,4) : Total = 20 (4,3,1,1) : Total = 9
(6,6,6,1) : Total = 19 (high) (3,3,1,1) : Total = 8
(6,6,4,3) : Total = 19 (4,1,1,1) : Total = 7
(6,6,3,3) : Total = 18 (3,1,1,1) : Total = 6
(6,6,4,1) : Total = 17 (6,x,x,x) : *Senio* -- a single six and anything
(6,6,3,1) : Total = 16 (6,6,6,6) : *Vultures* -- all same
(4,4,4,3) : Total = 15 (4,4,4,4) : *Vultures* -- all same
(6,6,1,1) : Total = 14 (high) (3,3,3,3) : *Vultures* -- all same
(4,4,3,3) : Total = 14 (1,1,1,1) : *Dogs* -- lowest of the
(4,4,4,1) : Total = 13 *Vultures*
(4,4,3,1) : Total = 12

Birth of Probability Theory

- Antoine Gombaud, Chevalier de Méré, writes to Blaise Pascal in 1654
- Does well betting that he'll roll at least one "ace" (1) in 4 throws
- Figures he'll do as well rolling at least one "double ace" in 24 throws
- Not quite working out as planned

One Die

- 1 in 6

Two Dice

Total	2	3	4	5	6	7	8	9	10	11	12
Outcomes	1-1	1-2 2-1	1-3 2-2 3-1	1-4 2-3 3-2 4-1	1-5 2-4 3-3 4-2 5-1	1-6 2-5 3-4 4-3 5-2 6-1	2-6 3-5 4-4 5-3 6-2	3-6 4-5 5-4 6-3	4-6 5-5 6-4	5-6 6-5	6-6
Favorable	1	2	3	4	5	6	5	4	3	2	1
Probability	1/36	1/18	1/12	1/9	5/36	1/6	5/36	1/9	1/12	1/18	1/36
Percentage	2.78	5.56	8.33	11.1	13.4	16.7	13.4	11.1	8.33	5.56	2.78

Three Dice

- $6 \times 6 \times 6 = 216$ possible throws
- What is the probability of throwing a total of 4?
 - Only three ways: 1-1-2, 1-2-1, 2-1-1
 - $3/216 = 1/72$
- What is the probability of throwing a triplet?
 - $6/216 = 1/36$

Three Dice

- What is the probability of throwing exactly two 6s?

1-6-6	2-6-6	3-6-6	4-6-6	5-6-6
6-1-6	6-2-6	6-3-6	6-4-6	6-5-6
6-6-1	6-6-2	6-6-3	6-6-4	6-6-5

15/216

Three Dice

- What is the probability of not throwing any 6s at all?
 - $5 \times 5 \times 5 = 125$ possibilities, $\therefore 125/216$
- Probability of exactly one 6?
 - All outcomes must have 0, 1, 2, or 3 6's
 - Thus, add up all other outcomes and subtract from total
 - $216 - 1$ (triplet) - 15 (two) - 125 (none) = 75 , $\therefore 75/216$

Games of Pure Luck

they can be fun!

Even Minus Odd

- Any number of players, 10 counters per player in center
- Each turn, roll 6 dice - add even numbers, subtract odd numbers
- Take sum counters from center (if negative, place counters into center)
- e.g., 2, 4, 4, 5, 5, 6 = $(16-10) = 6$
- When all counters are gone from center, player with most counters wins

7-up

- Any number of players, 21 counters for each held privately, 10 counters in center
- Roll 2 dice - if 7, take 7 counters, otherwise pay the difference
- e.g. 1, 3 - pay 3 counters
- First player out of counters is the loser

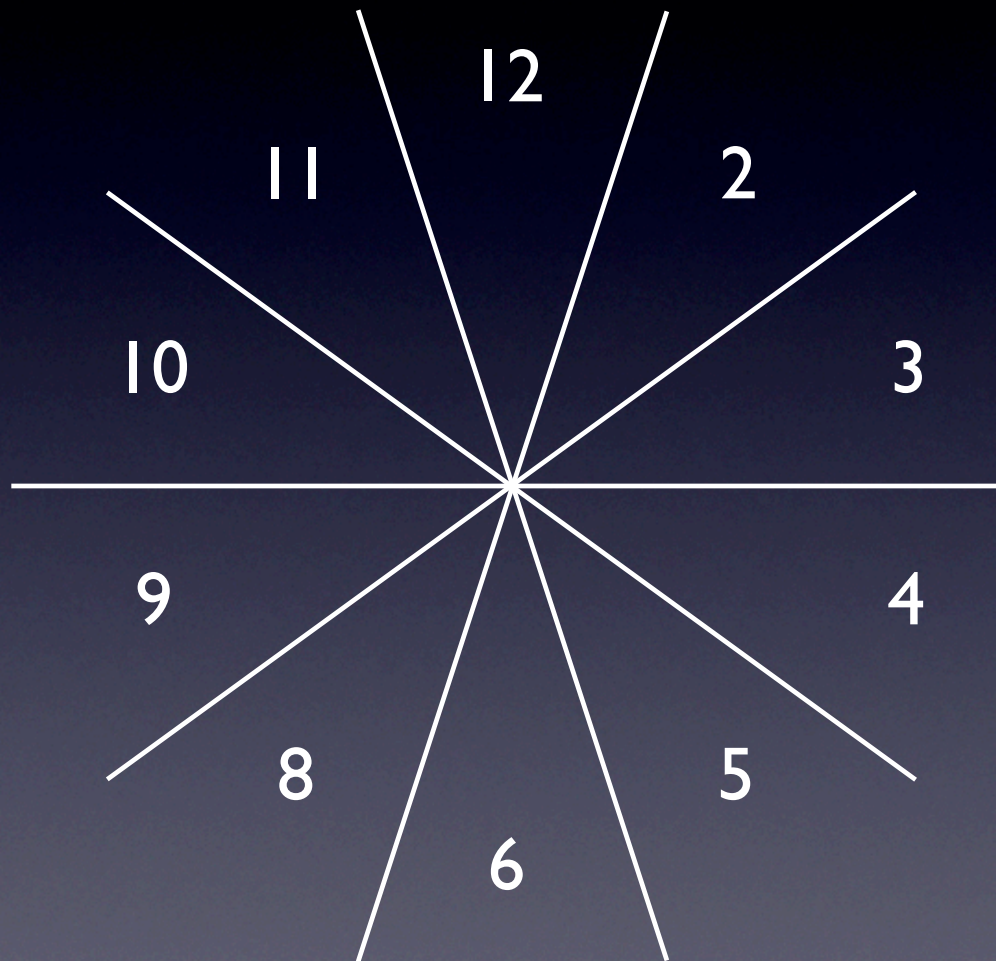
Put and Take (variant)

- All players start with 10 counters
- All players ante 1 chip per turn
- Roll 1 die:
 - 1 - put 1 counter in middle
 - 2 - put 2 counters in middle
 - 3 - all players put 1 counter in middle
 - 4 - take 1 counter
 - 5 - take 2 counters
 - 6 - take all counters
- Game ends when one player loses all counters - player with most counters wins

Boston

- Roll 3 dice - keep highest
- Re-roll other 2 - keep highest
- Re-roll final die, sum total
- Highest score of round wins 1 point for the round
- 2nd round worth 2 points, 3rd worth 3, etc.
- Play 10 rounds (55 points up for grabs)

Spider



Notebook

- Boston - how would the game aesthetics change if each round was worth 1 point?
- Spider - how would the game aesthetics change if the first player to cross off all numbers lost instead of won?